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ARCHAEOLOGICAL AGE ESTIMATION BASED ON OBSIDIAN HYDRATION DATA FOR TWO SOUTHERN ANDEAN SOURCES

ESTIMACIÓN DE EDADES ARQUEOLÓGICAS USANDO LA HIDRATACIÓN DE OBSIDIANAS: DOS FUENTES DE LOS ANDES MERIDIONALES

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Obsidian is abundant in archaeological sites throughout Mendoza Province, Argentina but no obsidian hydration rates exist to date these assemblages. Direct dating of obsidian artifacts is particularly important in west-central Argentina because the surface record is extensive but well-defined time marker artifacts are lacking. The costs of non-optical hydration dating techniques currently preclude their regular use in the region, however. We present and evaluate 12 models for age estimation based on optical hydration rim measurements for the two most commonly used obsidian types in the region (Las Cargas and Laguna del Maule). Age estimation equations are derived for each source using observed hydration rim-radiocarbon date pairs, and parameterized by variables known to influence obsidian hydration in experimental settings. The equations advanced here are currently best at predicting the known ages of artifacts independently dated by radiocarbon, and can be cautiously used to estimate the ages of obsidian artifacts.

Key words: Obsidian hydration, age estimation, Argentina.

While obsidian from a variety of sources (Figure 1) is well represented as tools and debris in archaeological assemblages throughout Mendoza Province, Argentina, obsidian hydration dating has not been previously employed. This is partly because, as in other parts of Andean South America, archaeological attention has historically centered on excavations readily dated by radiocarbon or ceramic typologies (e.g., Eerkens et al. 2008). Debates regarding the efficacy of obsidian hydration dating (e.g., Anovitz et al. 1999; Riddings 1996; Rogers 2006) have further discouraged its use in southern South America even when organics or ceramics are absent. The technique is especially useful for dating surface assemblages, particularly those that, like the Mendozan preceramic (i.e., >2,000 BP),

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lack well-defined or accepted lithic time markers. Comprehensive treatment of Mendoza’s surface archaeology, however, has itself lagged until recently (Garvey 2012; Neme and Gil 2006), when large-scale, regional surface survey demanded a solid chronological basis that obsidian hydration alone could provide. This is the first attempt to estimate the ages of southern Andean obsidian artifacts using hydration, which we present both as a provisional relative dating technique for southern Mendoza and a template for age estimation in other parts of Andean South America where obsidians are abundant and surface records are extensive.

We present pairs of stratigraphically-associated obsidian hydration rim measurements and calibrated radiocarbon dates from 11 sites in western Mendoza to generate a suite of hydration equations for each of the region’s two most commonly used obsidian sources, Las Cargas and Laguna del Maule. We compare these source-specific equations to evaluate which best predict the ages of obsidian artifacts independently dated by radiocarbon. Our goal is to identify the best possible, readily accessible means of estimating the ages of archaeological obsidians in west-central Argentina, given the data and resources presently available (Thomas 1981). It is important
to note that this is not obsidian hydration dating in the usual sense; rather, we merely use obsidian hydration data to obtain age estimates. That is, other techniques (e.g., secondary ion mass spectrometry SIMS) permit more precise dating of obsidians, but their costs currently preclude their regular use in the region.

**Background**

In 1960, Friedman and Smith observed that a freshly exposed surface of obsidian takes on ambient water at a knowable rate that can be used to calculate the time elapsed since exposure and, therefore, the date of an obsidian artifact's production (Doremus 1995, 2002; Friedman and Smith 1960; Rogers 2007; Stevenson et al. 1998). Subsequent research has clarified our understanding of the “diffusion-reaction” hydration process (Doremus 2002; Rogers 2008a; cf. Duke and Rogers 2013). We now know, for example, that hydration is affected by temperature in the hydration environment and the intrinsic water content of the obsidian itself (Stevenson and Novak 2011; Stevenson et al. 2013). A variety of methods have been proposed to control for these complications, including analysis of secondary ion mass spectrometry profiles (Liritzis 2014), estimation of the “effective hydration temperature” in an environment (e.g., Rogers 2007; Rogers and Yohe 2011), calculation of source- or flow-specific hydration rates (a means of controlling for intrinsic water content; e.g., Eerkens, Spurling and Gras 2008; Ericson 1975), and estimation of intrinsic water using glass density (Ambrose and Stevenson 2004; Stevenson et al. 2000) or infrared photoacoustic spectroscopy (Stevenson and Novak 2011; Stevenson et al. 2013).

Different obsidians may hydrate at different rates in identical environments due to their particular properties, namely intrinsic water content, which must be accounted for prior to age estimation. Direct measures of intrinsic water content are now available, including glass density (Ambrose and Stevenson 2004; Stevenson et al. 2000) and infrared photoacoustic spectroscopy (Stevenson and Novak 2011; Stevenson et al. 2013). These techniques are not yet widely used in archaeology, and anhydrous glass chemistry is a common alternative means of controlling for inherent differences by grouping sources/flows based on physical or, preferably, geochemical properties (as determined by X-ray fluorescence spectroscopy or neutron activation analysis, for example; Bettinger 1989; Eerkens, Spurling and Gras 2008; Ericson 1989; Liritzis 2006). Anhydrous glass chemistry should be used cautiously, however, since intrinsic water content has been shown to vary considerably even within flows (Stevenson et al. 1993).

Two methods are currently available for measuring the depth to which molecular water has penetrated an artifact’s surface: (1) measure the visible hydrated zone using optical microscopy (e.g., Eerkens et al. 2008; Friedman and Smith 1960), and (2) measure hydrogen depth profiles via secondary ion mass spectrometry (SIMS; Anovitz et al. 1999; 2008; Liritzis and Diakostamatiou 2002; Liritzis et al. 2004; Stevenson et al. 2004; Stevenson and Rogers 2014). SIMS is generally considered a more accurate measurement of diffusion, given both the estimated error associated with optical measurement (±0.25 μm; Stevenson et al. 1987; Stevenson and Novak 2011) and confirmation that “water diffusion extends well beyond the optically defined diffusion front” (Stevenson and Novak 2011:1718; Stevenson et al. 2002). However, the
current cost of SIMS analysis precludes its regular use in southern Mendoza and northern Patagonia; as in the Great Basin of North America, optical measurement remains the preferred technique in Andean South America.

The rate at which water diffuses into glass can be determined by either of two methods: (1) empirically, by assessing the relationship between hydration depth (however it is measured) and the $^{14}C$ dates with which the measured samples are clearly associated; or (2) by inducing hydration in a laboratory and calculating a hydration rate based on the activation temperature and Arrhenius equation for reaction kinetics (Friedman and Long 1976; Friedman and Trembour 1983; Rogers 2007; Rogers and Duke 2011; Stevenson and Novak 2011; Stevenson and Rogers 2014). Laboratory-induced rates, while potentially more precise and less time-consuming, have only recently been shown to reliably predict the ages of artifacts independently dated by radiocarbon or other methods (Ambrose and Novak 2012; Rogers and Duke 2011; cf. Anovitz et al. 1999; Rogers 2006). Empirical rates, on the other hand, generally take longer to establish and may be more subject to error, but provide reasonable predictive accuracy within the range of rim readings and radiocarbon ages used to generate the equations (Rogers 2007, 2008, 2010b).

Friedman and Long (1976) proposed that obsidian hydration proceeds as the square root of time and that the time elapsed since an obsidian surface was last exposed could be estimated by the hydration equation

$$x^2 = Dt$$  \hspace{1cm} (1)

where $x$ is hydration rim thickness measured in microns ($x$ preferred here to the more common $r$ to avoid confusion with the coefficient of determination, $R^2$), $D$ is the hydration constant, and $t$ is time in thousands of years, typically measured by radiocarbon (Anovitz et al. 1999; Friedman and Long 1976; Rogers 2007). The hydration constant, $D$, is a function of temperature, and its value must be estimated before obsidian hydration can be used as a chronometer. By the empirical method, one solves for $D$ using hydration rim–radiocarbon date pairs and local temperature data (typically EHT; Rogers 2007). Rearranging the equation, hydration is often described as proceeding at the square root of time,

$$x = Dt^{0.5}$$  \hspace{1cm} (2)

Experimental studies of the physical chemistry of diffusion in the years since Friedman and Long’s (1976) paper have substantiated the quadratic relationship between hydration rim thickness and elapsed time (Doremus 2002; Rogers 2008b, 2009; Stevenson et al. 1998; c.f. Anovitz et al. 1999); Rogers asserts “no other form of functional dependence is currently suggested by theory” (2009:10; cf. Liritzis and Laskaris 2011). However, other experiments challenge the square root of time dependence (Anovitz et al. 1999, 2004; 2008; Riciputi et al. 2002), and some indicate that $t^{0.6}$ and $t^{0.7}$ are better statistical fits for experimental samples with varying proportions of intrinsic water (Stevenson et al. 2013). “The diffusion of water is a complex and dynamic process” and the standard, constant model of diffusion ($t^{0.5}$) “may not be the best descriptor of the hydration process” (Stevenson et al. 2013:3021). Alternatively, some analysts choose to treat the exponent empirically, solving for $n$–where hydration proceeds at $t^n$–as the “best fit regression coefficient from the experimental data” (Stevenson and Novak 2011:1717).

In light of this debate, but tangent to its resolution, we propose a regression-based exploratory approach to archaeological age estimation using obsidian hydration data. The Methods section describes the selection and comparison of 12 models that differ with respect to functional dependence and are parameterized by variables known to influence obsidian hydration in experimental settings to identify the rate that best predicts known ages of west-central Argentine obsidian artifacts.

**Sample**

As part of a region-wide attempt to characterize obsidian sources and distributions of their respective materials, 490 obsidian specimens from archaeological sites in the study area were assigned to known sources by X-ray fluorescence spectroscopy (XRF). Of these, the majority is from two sources: Las Cargas (65 percent) and Laguna del Maule (22 percent; Figure 1; Garvey 2012), a result consistent with a larger study recently published by Giesso et al. (2011; see also Salgán et al. 2012, 2014). There are presently too few archaeological specimens in our sample from any of the other four known sources in the region (Laguna del Diamante,
Archaeological age estimation based on obsidian hydration data for two Southern Andean sources

Prior to this project, obsidian hydration dating (OHD) had not been applied in west-central Argentina. The sample used here to generate an equation for age estimation of obsidian from Las Cargas consists of 44 hydration rim-radiocarbon date pairs derived from 10 archaeological sites (Table 1); others of the specimens assigned by XRF to the Las Cargas source are not associated with radiocarbon dates. AMS and standard radiocarbon dates were calibrated using OxCal 4.2 (ShCal13 curve; Hogg et al. 2013). We acknowledge that calibrations can be associated with irregular probability densities and note that we have used the mean date within the 95% confidence interval rather than the mean of all possible dates.

Few of the artifacts selected for this project were point-provenienced during excavation and in most cases the radiocarbon association is by excavation level. To identify erroneous rim-date pairs, multiple obsidian specimens were selected from each radiocarbon dated excavation level whenever possible. Rim thickness measurements of Las Cargas specimens from levels radiocarbon

Table 1. Archaeological sites used in this study, their respective elevations, the number of hydration samples from each source selected from each site, and their associated uncalibrated and calibrated radiocarbon dates. $N$ (range) = number of hydration samples associated with a particular date, followed by hydration rim range in parentheses; $RCY =$ uncalibrated years before present and one standard deviation from the mean; Cal BC/AD = calibrated radiocarbon years BC/AD as calculated using OxCal 4.2 (ShCal13 curve, Hogg et al. 2013). The three dates listed are, from left to right, the oldest, mean (in parentheses), and youngest dates associated with the 95% confidence interval around the radiocarbon mean.

<table>
<thead>
<tr>
<th>Site</th>
<th>masl</th>
<th>Source</th>
<th>N (range)</th>
<th>$RCY$</th>
<th>Cal BC/AD</th>
</tr>
</thead>
<tbody>
<tr>
<td>AD4</td>
<td>2000</td>
<td>Cargas</td>
<td>6 (1.63-3.0)</td>
<td>5547 ± 42</td>
<td>4452 (4358) 4261 BC</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td>4 (2.04-2.7)</td>
<td>5360 ± 39</td>
<td>4263 (4159) 4001 BC</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td>3 (2.0-2.6)</td>
<td>6283 ± 42</td>
<td>5316 (5187) 5057 BC</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Maule</td>
<td>1 (4.6)</td>
<td>5400 ± 40</td>
<td>4327 (4190) 4053 BC</td>
</tr>
<tr>
<td>Alero Montiel-1</td>
<td>2100</td>
<td>Cargas</td>
<td>2 (1.5)</td>
<td>2239 ± 50</td>
<td>391 (264) 136 BC</td>
</tr>
<tr>
<td>Arroyo Malo-1</td>
<td>2000</td>
<td>Cargas</td>
<td>1 (1.7)</td>
<td>1560 ± 66</td>
<td>411 (530) 649 AD</td>
</tr>
<tr>
<td>Arroyo Malo-3</td>
<td>2000</td>
<td>Cargas</td>
<td>1 (1.7)</td>
<td>2200 ± 50</td>
<td>363 (216) 68 BC</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Cargas</td>
<td>1 (2.9)</td>
<td>3570 ± 40</td>
<td>2009 (1855) 1701 BC</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Cargas</td>
<td>1 (3.2)</td>
<td>3810 ± 100</td>
<td>2472 (2198) 1924 BC</td>
</tr>
<tr>
<td>Arroyo Panchino</td>
<td>2200</td>
<td>Cargas</td>
<td>1 (2.0)</td>
<td>2793 ± 39</td>
<td>998 (907) 815 BC</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Maule</td>
<td>1 (2.0)</td>
<td>1048 ± 36</td>
<td>986 (1018) 1149 AD</td>
</tr>
<tr>
<td>Cueva Palulo</td>
<td>2500</td>
<td>Cargas</td>
<td>1 (1.5)</td>
<td>2042 ± 37</td>
<td>99 BC (4 AD) 107 AD</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Cargas</td>
<td>1 (1.5)</td>
<td>2228 ± 37</td>
<td>373 (258) 143 BC</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Cargas</td>
<td>1 (1.5)</td>
<td>2793 ± 39</td>
<td>998 (907) 815 BC</td>
</tr>
<tr>
<td>El Carrizalito</td>
<td>2200</td>
<td>Cargas</td>
<td>1 (1.2)</td>
<td>2332 ± 35</td>
<td>411 (311) 211 BC</td>
</tr>
<tr>
<td>El Manzano</td>
<td>1350</td>
<td>Cargas</td>
<td>2 (3.6-4.0)</td>
<td>7070 ± 170</td>
<td>6241 (5931) 5620 BC</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Cargas</td>
<td>1 (4.0)</td>
<td>7110 ± 180</td>
<td>6352 (5991) 5630 BC</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Cargas</td>
<td>1 (4.0)</td>
<td>7330 ± 150</td>
<td>6451 (6169) 5886 BC</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Maule</td>
<td>10 (2.0-4.0)</td>
<td>1300 ± 50</td>
<td>671 (779) 886 AD</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Maule</td>
<td>12 (2.0-4.4)</td>
<td>2100 ± 70</td>
<td>354 BC (122 BC) 110 AD</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Maule</td>
<td>2 (8.6-8.7)</td>
<td>7070 ± 170</td>
<td>6241 (5931) 5620 BC</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Maule</td>
<td>3 (8.0-8.3)</td>
<td>7110 ± 180</td>
<td>6352 (5991) 5630 BC</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Maule</td>
<td>4 (7.0-9.4)</td>
<td>7190 ± 130</td>
<td>6339 (6039) 5738 BC</td>
</tr>
<tr>
<td>La Peligrosa</td>
<td>900</td>
<td>Maule</td>
<td>3 (2.2-3.0)</td>
<td>400 ± 70</td>
<td>1432 (1543) 1653 AD</td>
</tr>
<tr>
<td>Los Potrerillos</td>
<td>2200</td>
<td>Cargas</td>
<td>3 (1.2-2.8)</td>
<td>3610 ± 100</td>
<td>2201 (1930) 1658 BC</td>
</tr>
<tr>
<td>Valle Hermoso</td>
<td>2800</td>
<td>Cargas</td>
<td>7 (1.2-1.9)</td>
<td>1410 ± 60</td>
<td>548 (694) 839 AD</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Cargas</td>
<td>6 (1.0-1.9)</td>
<td>1950 ± 50</td>
<td>46 BC (88 AD) 222 AD</td>
</tr>
</tbody>
</table>
dated between 1,410 ± 60 BP (570–775 Cal AD) and 7,330 ± 150 BP (5,886–6,451 Cal BC) range from 0.97 to 4.0 microns (μm).

The sample used to generate an equation for age estimation of obsidian from Laguna del Maule consists of 36 hydration rim–radiocarbon date pairs derived from four archaeological sites (Table 1); others of the specimens assigned to the Laguna del Maule source are not associated with radiocarbon dates. As with the Las Cargas sample, associations with radiocarbon-dated materials are by excavation level so multiple specimens were drawn from individual radiocarbon-dated levels whenever possible. Rim thickness measurements on Laguna del Maule specimens from levels radiocarbon dated between 400 ± 70 BP (1,432–1,653 Cal AD) and 7,190 ± 130 BP (5,738–6,257 Cal BC) range from 1.6 to 9.4 μm.

In the southern Andes, daily and annual temperatures vary with elevation. Eleven sites from a range of elevations between 900 and 2,800 meters above sea level were selected to assess the effects of temperature on hydration (Figure 1). Table 1 presents the sites selected for this study, their respective elevations, and the obsidian types present at each.

### Methods

**X-ray fluorescence**

Granting that intrinsic water content can vary considerably within sources (Stevenson et al. 1993), each sample was assigned to a source group based on its geochemical composition in a first-order attempt to control for the effects of intrinsic water on hydration rate. Geochemical composition was determined by a Bruker hand-held energy-dispersive XRF spectrometer (EDXRF), calibrated using “well-characterized source samples in the MURR reference collection… previously analyzed by NAA and XRF in several laboratories to establish consensus values” (Glascock and Ferguson 2009:3). MURRAP Statistical Routines (v. 8.4) and GAUSS Runtime (v. 8.0) spectral analysis packages compared the peak element concentrations of the sample specimens to those of the region’s known sources to determine each sample’s most likely source (Garvey 2012; Giesso et al. 2011; Glascock and Ferguson 2009). All subsequent analyses were source specific.

**Obsidian hydration rim measurement**

To measure the hydration rim thicknesses of the samples considered in this study, two parallel cuts were made on the appropriate portion of the specimen using a lapidary saw mounted with two four-inch diameter, diamond-impregnated .004” blades. Samples were extracted and mounted with Lakeside thermoplastic cement onto sequentially numbered microscope slides and manually ground to between 30 and 50 μm thick.

The prepared slides were viewed under a Meiji petrographic microscope fitted with a Lasico digital filar eyepiece. Once a well-defined hydration rim was observed on a color monitor screen communicating directly with the microscope, the hydration rim was centered on the monitor to reduce parallax and measured with the micrometer. Typically, ten measurements were taken on each specimen but, occasionally, imperfections in the stone, weathering or surface damage caused by the saw or grinding process, permitted as few as three measurements per specimen. Hydration values were recorded to the nearest 0.01 μm and the mean and standard deviation of rim thickness were computed for each specimen.

**EHT calculation**

Rogers (2007) provides a series of equations for modeling obsidian hydration according to effective hydration temperature. EHT is a function of average annual temperature, annual and diurnal temperature ranges and temperature change with depth below ground surface. To estimate an archaeological context’s EHT without the aid of a buried temperature cell, Rogers (2007) recommends calculating EHT using temperature data from a surrogate site for which there are at least 10 years of recorded daily maximum and minimum temperatures, and an adiabatic lapse rate of -1.9° C per thousand-foot (~305 m) increase in elevation. Here, EHT is calculated using this estimate of average annual temperature:

\[
T_a = T_{as} - 1.9 \times (H - H_s)
\]

where \(T_{as}\) is the average annual temperature at the surrogate site, \(H\) is elevation of site of interest (thousands of feet above sea level), and \(H_s\) is the surrogate site’s elevation (Rogers 2007). In this study, Malargüe Aerodrome meteorological station
Archaeological age estimation based on obsidian hydration data for two Southern Andean sources

(1,426 meters (4,678') above sea level; Figure 1) served as the surrogate site and archaeological EHTs were calculated using a –1.9° C adiabatic lapse rate per 1,000' (~305 m) increase in elevation from Malargüe Aerodrome.

To incorporate EHT into hydration rate models, each hydration rim measurement should be “corrected” to reflect that sample’s particular EHT. EHTs for the samples in this study are between 10–20°C so each sample’s rim correction factor (RCF) is calculated by the equation

$$ RCF = \exp(-0.06 \times \Delta T_e) \quad (4) $$

where $\Delta T_e$ equals the difference between the sample’s EHT and EHT at the surrogate site (Rogers 2007:659). Each measured rim value is multiplied by its own RCF and the corrected rim values and corresponding radiocarbon dates are used to calculate a source-specific hydration rate (Rogers 2007).

Rate model formulation and comparison

A total of 12 models were derived from observed hydration rim-radiocarbon date pairs and parameterized by variables known to influence obsidian hydration in experimental settings. Models are of two basic forms –quadratic and linear– and otherwise vary with respect to correction for EHT, including the origin as data point, and forcing regression through the origin. Table 2 lists the model parameters; empirically derived, source-specific models are presented in the following section.

Early work with empirically-derived hydration rates in the western United States (e.g., Bettinger 1989; Garfinkel 1980; Hall 1983; Hughes 1984, 1989; Meighan 1978, 1983) showed that, when data are few, linear rates are sometimes more accurate predictors of known artifact ages than quadratic ones. While linear models contradict the physical chemistry of diffusion, that is not at issue here. Archaeological use of obsidian is not an experiment in physical chemistry. It is predicated solely on the need for the best direct estimator of artifact age. To obtain this requires evaluating the relative predictive power of a variety of models to identify the best estimator of artifact age, regardless of its fit with theory. Proponents of empirical rate derivation have long understood that their rates are provisional and require reassessment as more data become available.

In addition to testing alternative algorithms, exploratory model fitting should test the effects of other common practices, most notably those of treating the origin as a data point (zero hydration rim at time zero) and forcing regression through the origin (RTO). When empirically derived rates are based on datasets that begin some distance from the origin, for example, RTO may diminish data-to-model fit (Eisenhaur 2003; Hocking 1996) because it nearly always changes the sum of least squares or “best fit” slope of the line (arc of the curve). As demonstrated empirically below using data from west-central Argentina, within the range of rim values used to calculate rates, models with forced regression lines routinely perform worse than models not so forced. More generally, any empirical hydration rate is likely to be less accurate beyond either end of the range of rim thicknesses used to calculate it. A model that predicts ages better within a narrower range of rim values may be preferable to one that predicts less well across a wider range.

Models are compared using two statistics, the coefficient of determination ($R^2$) and root-mean-square error of the regression line (RMSE), each calculated using observed and predicted dates associated with each rim measurement to gauge models’ respective predictive power.

Less commonly used in archaeology than $R^2$, RMSE is a measure of the overall magnitude of prediction errors (residuals) that can be compared across models to gauge their relative accuracy. Generally, the reliability of empirically derived hydration equations increases (larger $R^2$, smaller
RMSE) with the number of hydration rim-radiocarbon date pairs used to generate the equation, and equations must be reevaluated and revised as new pairs become available.

**Provisional Hydration Rates for Two Southern Andean Obsidians**

**Las Cargas**

Of the 12 hydration models compared for Las Cargas obsidian (Table 3), Model A -the unconstrained linear equation based on rim values uncorrected for temperature and excluding the origin as a data point- is best at predicting known radiocarbon ages ($R^2 = 0.6$; RMSE = 1519 years). Model A is

$$t = 2201.3x - 422.17 \quad (5)$$

where $t$ is radiocarbon years before present and $x$ is hydration rim thickness in microns. Models B (RTO linear, uncorrected rims) and C (unconstrained linear, including origin as data point) performed virtually as well, and all three equations predict dates within a few hundred years of the mean calibrated date BC for the largest rim measurement presently associated with a radiocarbon date ($4.02 \mu m = 7,070 \pm 170$ BP = 7,945 calendar years ago, mean of 95% confidence interval range; A overpredicts by 482 years, B by 190, and C by 443).

The $R^2$ and RMSE values in Table 3 indicate that equations based on temperature-corrected rim values perform worse than those uncorrected. Interestingly, when the Las Cargas samples are grouped by elevation and used to calculate elevation-specific hydration rates, the observed trend contradicts the expectation: Collections from higher elevations appear to hydrate faster than those from lower elevations (Figure 2). Available data are presently insufficient to determine whether this is the result of an inappropriate surrogate site or adiabatic lapse rate, or whether temperature simply does not affect hydration over the range of elevations considered in this study.

Among the six models that do not correct for temperature, linear models consistently outperform quadratic ones. Analysis of the residuals suggests that this is due in part to the tendency of the quadratic equations to under-predict age at the low end of the distribution and over-predict age at the high end of the available sample. Beyond the range of rim values used to calculate the rates compared here, that is, for hydration rims larger than 4 $\mu m$, quadratic models predict radiocarbon ages at or beyond the accepted date of initial occupation of the area (ca. 11,000 BP, ca. 12,900 calendar years ago) and, for the largest known rim value for Las Cargas obsidians (6.01 $\mu m$), ages much older than accepted dates for human colonization of the New World (Table 3).

Three lines of evidence suggest that Las Cargas obsidian hydrates slowly. First, models based on available rim-radiocarbon pairs indicate that 4 $\mu m$ of hydration equal between ca. 7,100 and 10,600 calendar years, which is slow relative to other well-documented obsidian sources in the northern and southern hemispheres (e.g., Coso in California, Rogers 2009; southern Peru, Eerkens et al. 2008). Second, a distinctive projectile point form associated with early archaeological components has a maximum rim value of 4.1 $\mu m$ when made on Las Cargas obsidian and a maximum rim value of 12.2 when made on Laguna del Maule obsidian (Garvey 2012). The dates calculated for these rim values by each source’s best preliminary equation are, respectively, $\sim$8,400 and $\sim$13,200 calendar years ago, which roughly correspond to the earliest human occupations in southern Mendoza (e.g., 12,770-12,020 calendar years ago; Gil et al. 2005; Neme and Gil 2012). Third, no obsidian sample –whether from an archaeological context or collected during a recent trip to the Las Cargas source– has a rim value larger than 6.1 $\mu m$ (Salgán et al. 2015). Model A in Table 3, currently the best predictor of radiocarbon ages, generates a date of $\sim$12,800 calendar years ago for the 6.1 $\mu m$ rim measurement (no associated radiocarbon date), which is consistent with the accepted date of earliest occupation in southern Mendoza. These observations further highlight the present predictive superiority of linear models; for all rim values of 5 $\mu m$ and above, quadratic equations predict unrealistically old ages (e.g., 6.1 $\mu m$ equals between $\sim$17,000 and $\sim$24,000 calendar years ago; Table 3).

Slow hydration of Las Cargas obsidian may explain both the relatively low predictive power of all models presented here and the present superiority of linear models. The more slowly hydration proceeds, the more time is represented by each micron of hydrated rim (e.g., Las Cargas $\approx$ 2,200 years per micron; Laguna del Maule $\approx$ 1,200 years...
Table 3. Equations for Las Cargas obsidian, associated $R^2$ and RMSE values and predicted radiocarbon dates at single-micron increments between 1 μm and 10 μm. $R^2$ and RMSE values describe the relationship between the dates predicted by the model and the observed radiocarbon dates used to generate the model. The range of rim thicknesses used to calculate the rates is highlighted in gray. Age calculations for rim values 7 μm and above appear in gray; no rim value larger than 6.1 μm has yet been observed and Las Cargas obsidian appears to hydrate slowly.

Model A, in boldface type, is currently best at predicting known radiocarbon ages.

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per micron). In the available sample of Las Cargas obsidian, the majority of rim values (84 percent) fall between 1 and 3 μm, within which narrow range there are several clusters of very similar rim values (e.g., around 1.2, 1.5 and 2.2 μm). Models for this material type will be significantly improved by both a greater variety of rim values between 1 and 3 μm—to capture more sub-micron variation—and a larger sample of hydration rim-radiocarbon pairs from outside this range. A larger sample will also mitigate the potential effects of measurement error, which could disproportionately affect smaller rim values.

Slow hydration of Las Cargas obsidian may also account for the fact that linear models outperform quadratic ones. The quadratic model that best predicts the ages of Las Cargas samples (Model G in Table 3) is well approximated by its tangent line across the range of rim values used to derive the model (Figure 3); Model G is virtually linear between 1 and 4 μm on account of slow rim growth. Although Model G’s linear approximation is nearly parallel to linear Model A (the model that best predicts ages of Las Cargas samples), Model G accumulates error (i.e., RMSE increases) because the squared term leads to under-prediction of ages associated with very small rim-values and over-prediction between 3 μm and 4 μm.

**Laguna del Maule**

Of the 12 hydration models compared for Laguna del Maule obsidian (Table 4), the linear equation using temperature-corrected rims—Model D—emerges as the most accurate preliminary predictor of artifact ages ($R^2 = 0.94;$ RMSE = 712 years). Model D is

$$t = 1212.4x - 1529.4$$  \hspace{1cm} (6)

where $x$ and $t$ are defined as above. Applying Model D to 68 archaeological samples of Laguna del Maule obsidian (including those not presently associated with radiocarbon dates) indicates that the source was used between approximately 350 and 10,600 calendar years ago, which is consistent with the radiocarbon-dated span of occupation in the region.

Unlike Las Cargas equations, the predictive power of Laguna del Maule equations is generally improved by correcting rim values for EHT. The improvements are slight and inconsistent, however, and the negative effect of temperature correction on Las Cargas models suggests that temperature corrected rates should be used with caution until the discrepancy is resolved. Model A, the uncorrected,
Archaeological age estimation based on obsidian hydration data for two Southern Andean sources

unconstrained linear rate is reasonably accurate ($R^2 = 0.91$; RMSE = 844):

$$t = 1143.4x - 1705.5 \quad (7)$$

Similar to Las Cargas, linear models perform better than quadratic ones with Laguna del Maule obsidian, but the difference is less pronounced and the third most accurate model is quadratic using temperature correction (Model J in Table 4). Assessment of quadratic model residuals indicates that there are large discrepancies between predicted and observed radiocarbon ages on samples with rim values above 7 μm. Addition of paired samples in this range, as they become available, will undoubtedly improve the predictive power of quadratic models, bringing OHD for this source material into line with current diffusion theory.

Discussion and Conclusions

In this statistical analysis of 12 age estimation models for the two archaeologically most common obsidians in southern Mendoza, linear equations emerged as the best predictors of known radiocarbon dates. This result is obviously inconsistent with the modern understanding of diffusion in glass. We do not propose that southern Mendozan obsidians hydrate at linear rates, only that linear equations are better at predicting artifacts’ associated radiocarbon ages within the range of rim values currently available, and that these models should be used cautiously to approximate the ages of archaeological obsidians until more data are available. Again, we stress that this is not obsidian hydration dating in the usual sense; we are merely using obsidian hydration data to obtain age estimates.

That models uncorrected for temperature outperform those so corrected also contradicts modern hydration theory; correcting for effective hydration temperature should improve hydration rates (Rogers 2007), sometimes dramatically (Rogers 2009). However, EHT correction decreased the predictive power of Las Cargas models, and improved Laguna del Maule models only slightly. Use of buried temperature cells or a different surrogate site and adiabatic lapse rate might reveal that temperature does influence hydration across the range of elevations considered in this study. Until then, uncorrected rims should be favored for Las Cargas and possibly Laguna del Maule.

RTO – forcing regression through the origin – did not significantly decrease regression line goodness of fit, but it did consistently increase RMSE, indicating decreased predictive power among RTO models. This effect is more pronounced in the...
Table 4. Equations for Laguna del Maule obsidian, associated $R^2$ and RMSE values and predicted radiocarbon dates at single-micron increments between 1 μm and 10 μm. $R^2$ and RMSE values describe the relationship between the dates predicted by the model and the observed radiocarbon dates used to generate the model. Note that non-RTO linear models give negative values for 1 μm. The range of rim thicknesses used to calculate the rates is highlighted in gray. Model D, in boldface type, is currently best at predicting known radiocarbon ages.

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Laguna del Maule samples—among which RTO equations have RMSE values 38 percent larger on average than their non-RTO equivalents—than in the Las Cargas sample (RTO equations have 4 percent larger error on average). Statisticians have demonstrated that when empirically derived rates are based on datasets that begin some distance from the origin, RTO can diminish the model’s fit to the data (Eisenhaur 2003; Hocking 1996). The smallest paired rim value in the Laguna del Maule sample is 1.6 μm while the smallest in the Las Cargas sample is 0.97 μm, which may account for the proportional differences mentioned above. Archaeologists interested in developing or using empirically derived obsidian hydration rates should be aware of the potential negative effects of RTO, despite its theoretical justification. More generally, archaeologists should appreciate that any hydration rate is likely to be less accurate outside the range of the rim thickness values used to calculate it.

Likewise, we caution against uncritical inclusion of the origin as a data point. Clearly, rim thickness should be zero at time zero. However, the fact that some studies indicate a distinct initial rate of hydration makes predictions between the origin and the smallest observed rim value suspect (Anovitz et al. 1999; 2008; Broadkey and Liritzis 2004; Crank 1975). In the present study, including the origin as a data point has mixed results. In the Las Cargas case, linear models that include the origin have slightly higher $R^2$ values (0.06 increase on average) and negligibly lower RMSE values (0.62-year decrease on average); quadratic models are slightly improved by inclusion of the origin (0.02 increase in average $R^2$; 1-year increase in RMSE on average). All Laguna del Maule models perform slightly worse when the origin is included (RMSE values increase) and inclusion of the origin invariably predicts non-zero ages for rim values of zero.

Empirical rates improve as the database of paired hydration rim-radiocarbon dates grows, a statistical truism confirmed by nearly half a century of obsidian hydration studies in the western United States. The age estimation equations presented here are provisional, intended as a first-order analysis of the relationship between hydration rim thickness and artifact age among two common southern Mendozan obsidians. The equations should be adjusted as more hydration rim-radiocarbon pairs and relevant data (e.g., within-source variations in intrinsic water content) become available, and additional models should be assessed as our understanding of the hydration process improves.

Archaeologists develop and use obsidian hydration rates to place objects and events in time as Thomas (1981) put it, to predict radiocarbon dates. The last several decades have seen tremendous advances in glass science, but the cost of non-optical hydration dating techniques currently precludes their regular use in west-central Argentina, making the empirical method most tenable. While there is good reason to think that well attested empirical hydration rates will conform to hydration theory, the unconventional provisional age estimation equations presented here offer a transparent means of relative dating and should be used cautiously to estimate the ages of archaeological obsidians in Argentina until funding and access to instrumentation are available to improve their precision.

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