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# Inbreeding depression in maize populations and its effects on the obtention of promising inbred lines

# Depressão por endogamia em populações de milho e seus efeitos na obtenção de linhagens promissoras

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# **Abstract**

Inbreeding can potentially be used for the development of inbred lines containing alleles of interest, but the genetic causes that control inbreeding depression are not completely known, and there are few studies found in the literature. The present study aimed to obtain estimates of inbreeding depression for eight traits in seven tropical maize populations, analyze the effects of inbreeding over generations and environments, and predict the behavior of inbred lines in future generation  $S_{\infty}$  through linear regression methods. It was found that regardless of the base population used, prediction values could vary when the model was based on only 2 generations of inbreeding due to the environmental component. The influence of the environment in this type of study could be reduced when considering 3 generations of inbreeding, allowing greater precision in predicting the phenotypes of inbred lines. The use of linear regression was effective for inbred line prediction for the different agronomic traits evaluated. The use of 3 levels of inbreeding minimizes the effects of the environmental component in inbred line prediction for grain yield. GO-S was the most promising population for inbred line extraction.

Key words: Zea mays L. Linear regression. Selfing.

# Resumo

A endogamia pode ser utilizada para o desenvolvimento de linhagens endogâmicas com alelos de interesse, porém as causas genéticas que a controlam não são completamente conhecidas. O presente estudo objetivou obter estimativas de depressão por endogamia para oito variáveis em sete populações de milho tropical, analisar o comportamento dos efeitos da endogamia sobre gerações e ambientes e prever o comportamento das linhagens na geração  $S_{\infty}$ , por meio de métodos de regressão linear. Independentemente da população base utilizada, os valores de predição podem ser diferentes quando se consideram apenas dois níveis de endogamia, devido ao componente ambiental. A influência do ambiente neste tipo de estudo pode ser reduzida quando se consideram três níveis de endogamia, refletindo em maior precisão na predição das linhagens. O uso de regressão linear foi efetivo na predição de linhagens para as diferentes características agronômicas avaliadas. O uso de três níveis de endogamia minimiza os efeitos da componente ambiental na predição de linhagens puras para produtividade de grãos. GO-S foi a população mais promissora para a extração de linhagens.

Palavras-chave: Zea mays L. Regressão linear. Autofecundação.

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# Introduction

In genetic breeding of allogamous species, such as maize, the crossing of related individuals can cause damage to the offspring in some cases. This effect, called inbreeding depression, is characterized by a reduction in the mean values of quantitative traits related to the reproductive capacity or physiological efficiency of the plant due to the homozygosis of deleterious alleles (FALCONER, 1989).

The genetic causes that control it are not completely known, and there are some hypotheses to explain it. One of these explanations is linked to the fact that favorable genes tend to be dominant or partially dominant, and the second explanation is that the heterozygote has a higher phenotypic value than the homozygote (CROW; KIMURA, 1970). In particular, in the first case, inbreeding depression would then result from the breakdown of the ideal combination of the alleles that govern the trait in question.

From the point of view of genetic breeding, inbreeding can potentially be used for the development of inbred lines containing alleles of interest that are subsequently used in the case of maize in the composition of single, double, or three-way crosses or even in recurrent selection involving partially inbred lines ( $S_1$ ,  $S_2$  and  $S_3$ ) for the development of populations (HALLAUER et al., 2010).

Among the methods used by breeders to induce inbreeding, self-fertilization with row selection and double haploidization are the most important. Through selfing, selected inbred lines are now used in maize testcrosses from the S<sub>6</sub> generation; however, they still present a percentage of 1.56% of heterozygosity. According to (PIERRE et al., 2011), although this percentage seems small, considering that a maize plant has more than 30 thousand genes, this number becomes significant. In the case of the use of double haploidization, the first generation will present 100% homozygous loci in inbred lines, but all segregation (including agronomically good

and bad individuals) that would be selected by the breeder over multiple years if using the selfing method will be expressed in a single generation.

In this case, the increase in the probability of obtaining agronomically useful inbred lines is contingent on starting from genetically adequate populations, which means that these populations must present a high frequency of favorable alleles for several traits of interest, that is, a high general combining ability (MIRANDA FILHO; VIEGAS, 1987; VENCOVSKY; BARRIGA, 1992) with a small genetic load, meaning that the potential for inbreeding depression is small (VENCOVSKY; BARRIGA, 1992). These two conditions are correlated because populations or groups subjected to recurrent selection are expected to present a greater general combining ability with less inbreeding depression when selfed.

Despite the importance of studies on inbreeding in different traits of interest, there are few studies found in the literature, or when they exist, according to Botelho et al. (2016), the results vary in relation to the genotypes evaluated. Furthermore, the studies in the literature are mostly from the 1980s and 1990s.

Thus, the present study aimed to obtain estimates of inbreeding depression for eight agronomic traits in seven tropical maize populations, analyze the behavior of the effects of inbreeding over generations and environments, and predict the behavior of inbred lines in future generation  $S_{\infty}$  through linear regression methods in order to identify promising sources for tropical inbred line extraction.

#### Material and Methods

This study used 7 maize populations, whose origins and obtaining methods are described in Table 1, belonging to the Department of Genetics, ESALQ, along with samples of  $S_1$  and  $S_2$  families (seven samples from each population), totaling 21 treatments. The experimental design was randomized complete blocks with 3 replications. The

trials were carried out in the locations of Londrina-PR (coordinates 23°21'53.287" S 51°10'0.098" W) and Piracicaba-SP (coordinates 22°42'25.636" S 47°38'10.316" W) during the 2006/2007 agricultural

year. The experimental plot consisted of two rows of 5 meters in length, spaced 80 cm between rows, leaving 5 plants per meter after thinning, in order to reach a final stand equivalent to 62,500 plants.ha<sup>-1</sup>.

**Table 1.** Populations used in this study and their respective origins.

**GO-S:** Material subjected to recurrent selection from the Suwan synthetic, which was introduced originally from Thailand and improved by EMBRAPA Maize and Sorghum, commercially known as variety BR 105.

**G3** and **G4:** Obtained through intercrossing between 5 base populations after selection for combining ability and heterotic pattern based on a complete diallel cross evaluation, among 28 populations.

**GO-G, GO-L, GO-D and GO-F:** Populations obtained by selection in experiments involving evaluation of half-sib families, full-sib families and hybrids from maize testcrosses and crossings involving  $S_1$  inbred lines (Rio Verde-GO-Brazil, 1994/1995 agricultural year) based on visual appearance for thick ears (GO-G), long ears (GO-L), dent grains (GO-D) and flint grains (GO-F).

The joint analysis followed the triple factorial model, taking fixed the populations and locations and as random the inbreeding generations. The model used was  $Y_{ijqk} = \mu + p_i + g_j + l_q + (pg)_{ij} + (pl)_{iq} + (gl)_{jq} + (pgl)_{ijq} + b_{k(iq)} + \overline{\epsilon}_{ijqk} \,,$ where Y<sub>iigk</sub>: observation of the i-th population in the j-th inbreeding generation at the q-th block and k-th location;  $\mu$ : overall mean of the trials;  $b_{k(io)}$ : effect of block k in the population i at the location q; p;: effect of population i; g;: effect of inbreeding generation j; l<sub>a</sub>: effect of location q; (pg)<sub>ii</sub>: interaction effect between population i and generation j; (pl)<sub>ia</sub>: interaction effect between population i and location q; (gl)<sub>ia</sub>: interaction effect between generation j and location q; (pgl);;; triple interaction effect between population i, generation j and location q; and  $\varepsilon_{ijqk}$ ; random error associated with observation ijqk.

The traits analyzed were as follows: ear diameter (ED), measured at the middle of the ear (cm), taking the average of five ears taken at random from the middle of the experimental plot; female flowering (FF), measured in days from emergence until the issue of style-stigmas in 50% of the experimental plot; plant height (PH) and ear height (EH), measured in cm, taking the average of five plants at random from the middle of the experimental plot; ratio between EH and PH (EH/PH), a dimensionless unit; grain moisture (GM), measured

as a percentage; ear length (EL), measured in cm, taking the average of five ears taken at random from the middle of the experimental plot; and grain yield (GY), obtained from the total yield of the experimental plot, adjusted to the initial stand of 50 plants according to the covariance method (VENCOVSKY; BARRIGA, 1992) and corrected to kg ha<sup>-1</sup> with 13.5% of moisture.

To determine the average differences between the inbreeding generations ( $S_0$ ,  $S_1$  and  $S_2$ ) in accordance with the effects of inbreeding and the intra-variable responses, cluster analysis was performed using the Scott-Knott method at 5% probability. When predicting future line phenotypes ( $S_{\infty}$ ), each of the locations was considered to have the same magnitude of environmental variance observed in the present study.

Whereas the rate of increase of homozygous loci follows a linear function for certain traits, we used linear regression models to predict the behavior of inbred lines in  $S_{\infty}$ , not considering the effects of selection over the generations. Thus, it is possible to predict the potential of the inbred lines defined after "n" selfings, considering the inbreeding coefficient of Wright, or fixation index (F), being  $F \sim 1$ , or even in cases of obtaining inbred lines through dihaploidization in which F=1.

This linear regression model considered the inbreeding levels for S<sub>0</sub>, S<sub>1</sub> and S<sub>2</sub> represented by 0%, 50% and 75%, respectively, as an independent variable. The equation is defined by  $Y_i = \alpha + \beta X_i + e_i$ , where Y<sub>i</sub> is the mean predicted for the generation of inbreeding;  $\alpha$  represents the intercept of the line with the vertical axis, that is, it represents the general mean of the analyzed variable; β is the angular coefficient or regression line, in this case, the variation of the predicted average (Y<sub>i</sub>) according to the variation of one unit of inbreeding  $(X_i)$ ;  $X_i$  is the i-th level of the independent variable, in this case, the level of inbreeding (i=0%, 50%, 75%... 100%); and i is the error associated with the distance between the value of Y<sub>i</sub> and its corresponding point on the line predicted by the model for the same level i of X.

### **Results and Discussion**

Through a joint analysis (Table 2), it was observed that the levels of depression due to inbreeding presented significant differences (p<0.05) for all traits, indicating that the overall means of inbreeding generations had at least one significant contrast among the populations. For EH/PH and GM, as well as the general means by locations in relation to the EH, EH/PH and ED variables, no significant differences were detected; thus, it was possible to infer that the differences between the means for these sources of variation were due to random chance.

**Table 2**. Mean squares obtained by analysis of variance using the triple factorial model (2006/2007 agricultural year, in Londrina-PR and Piracicaba-SP locations).

SV	DF	ED	ED FF			PH		EH	
5 V	Dr	cm days					cm		
Locations (L)	1	0.000		1092.4	**	1146.0	**	61.5	
Inbreeding (I)	2	3.816	**	47.0	**	14,250.9	**	8869.8	**
Populations (P)	6	0.171	**	14.2	**	529.5	**	243.0	**
$L \times I$	2	0.031		22.5	**	705.9	**	92.3	
$L \times P$	6	0.065	*	5.0		126.0		119.2	
$I \times P$	12	0.019		8.6	*	59.3		84.2	
$L \times I \times P$	12	0.051	*	6.0		88.8		98.9	
Error	80	0.026		3.4		110.2		72.9	
CV %		3.76		3.13		5.64	5.64		
General means		4.26		59		186		92	
CV.	DE	EH/PH		GM		EL		GY	
SV	DF			%		cm		kg ha <sup>-1</sup>	
Locations (L)	1	0.0026		903.48	**	248.84	**	2,492,613	**
Inbreeding (I)	2	0.0383	**	20.41	**	87.75	**	178,121,820	**
Populations (P)	6	0.0009		0.45		3.34	*	2,356,661	**
$L \times I$	2	0.0029		0.49		2.81		2,453,298	**
$L \times P$	6	0.0022		0.20		2.39		830,975	*
$I \times P$	12	0.0021		0.64			907,541	**	
$L \times I \times P$	12	0.0019		0.70		2.00		377,726	
Error	80	0.0017		0.39		1.32		327,633	
CV %		8.31		4.2		7.34		10.07	
General means		0.49		14.9		15.67		5684	

<sup>\*, \*\*</sup> significant at 1% and 5% probability by the F test, respectively.

However, for ED, a significant interaction was detected between the test locations  $\times$  populations used, as well as variation locations  $\times$  inbreeding generations  $\times$  populations. These facts indicate that populations showed different responses for ED due to environmental differences (location) and the level of inbreeding considered ( $S_0$ ,  $S_1$  or  $S_2$ ).

For FF and GY, inbreeding showed significant interaction with locations and populations, indicating that the means recorded for these traits varied according to the place of the test and the population used, due to the increase in homozygosity. For PH, inbreeding presented significant interaction (p<0.01) in relation to locations, while for GY, in addition to inbreeding presenting significant interaction with locations, there was significance for locations × populations and inbreeding × populations (p<0.05).

These significant interactions indicated the need for a detailed analysis between and within sources of variation to better assess the distribution and groupings of the means (through the Scott-Knott method) or even to analyze the increase or decrease in these averages as a function of a regressive variable with fixed levels (levels of inbreeding) in order to establish equations that explain the pattern of future behavior of new inbred lines extracted from these populations.

As GY is a key variable that maize breeders wish to predict for future inbred lines, we sought to work with both simple regression analysis and clustering tests of means due to the significance of isolated variation sources and interactions. For the variables that presented some significant interactions (ED, FF and PH), the Scott-Knott method was decomposed according to the interaction. For the other variables, where there was no significant interaction but the effect of inbreeding was significant (EH, EH/PH, GM and EL), a general linear regression equation was performed for the set of populations.

For the inbreeding in ED (Table 3), there was a reduction in the overall means from  $S_0$  (4.56)

cm) to  $S_2$  (3.96 cm), in the range of -13.1%. The effects of inbreeding varied with the population and the site; in Londrina, only in  $S_2$  did distinct population groups form, while in Piracicaba, the formation of different groups occurred at all three levels of inbreeding, showing the influence of the environmental component on the expression of a trait under different levels of inbreeding.

In this sense, it is possible to visualize that for inbreeding coefficients F=0 and F=0.5 (corresponding to the  $S_0$  and  $S_1$  inbreeding generations), estimates of inbreeding depression may vary according to locations, populations and the inbreeding level considered. For F=0.75 (corresponding to the  $S_2$  generation), the clustering differences were directly dependent on the genetic structures of the populations evaluated.

Regarding the general means for ED, it was verified that the GO-S population remained in the group with higher means of ear diameter, which implies that selection in the population based on this trait had been sufficient to maintain or increase the frequency of favorable alleles for this characteristic, which was reflected in smaller average ED reductions due to the increased homozygosity.

Regarding the traits FF and PH, there was a significant effect of locations, which may be associated with differences in the average temperatures observed between the emergence periods and flowering. Higher degree-day values were detected in Piracicaba from emergence to flowering, with 863 degree-days, while Londrina presented 828 degree-days for the same period considered (data obtained from the Agrometeorology Area of IAPAR and the Meteorological Station of ESALQ). Bergamaschi and Matzenauer (2014) noted that thermal conditions influence several plant life processes, from germination and emergence to phenological development and growth of plants as a whole, either by soil or air temperature.

**Table 3.** Cluster analysis using the Scott-Knott method for the source of variation Locations × Inbreeding Generations × Populations, showing a significant interaction effect for the trait ear diameter (cm) by the Scott-Knott method at 5% probability (2006/2007 agricultural year).

	S <sub>0</sub> generati	on	
	Londrina	Piracicaba	
GO-S	4.53 a A	4.73 a A	
G3	4.67 a A	4.67 a A	$S_0$
G4	4.55 a A	4.47 b A	Mean
GO-G	4.51 a A	4.73 a A	4.56 a
GO-L	4.43 a A	4.47 b A	
GO-D	4.66 a A	4.53 b A	
GO-F	4.52 a A	4.40 b A	
	S <sub>1</sub> generati	on	
	Londrina	Piracicaba	
GO-S	4.19 a B	4.60 a A	
G3	4.39 a A	4.20 b A	$\mathbf{S}_{_{1}}$
G4	4.17 a A	4.27 b A	Mean
GO-G	4.19 a A	4.20 b A	4.25 b
GO-L	4.33 a A	4.13 b A	
GO-D	4.30 a A	4.27 b A	
GO-F	4.01 a A	4.20 b A	
	S, generati	on	
	Londrina	Piracicaba	
GO-S	4.04 a A	4.07 a A	
G3	4.17 a A	4.10 a A	$S_2$
G4	4.09 a A	3.67 b B	Mean
GO-G	4.13 a A	3.93 a A	3.96 c
GO-L	3.83 b A	4.00 a A	
GO-D	4.04 a A	3.93 a A	
GO-F	3.64 b A	3.80 b A	

As maize is a  $C_4$  plant, it has a photosynthetic rate greater than those of  $C_3$  species in conditions of high temperatures (BERGAMASCHI; MATZENAUER, 2014), and although solar radiation and water can influence the phenology of maize, according to Coelho and Dale (1980), the sum of degree-days has a linear relationship with the development of plants. As described by Daughtry et al. (1984), through this relationship, it is possible to predict critical periods of the crop, such as dates of flowering and maturation, allowing the scheduling of management practices and the use of modeling. It was possible to observe that in Piracicaba, the plants presented

a reduced cycle and larger mean PH (Tables 3 and 4), while in relation to the general means, the GO-S population tended earlier with reduced PH.

In determining the distribution of FF means according to the inbreeding level and the evaluation sites (Table 4), it is possible to observe that maize plants tend to flower later (3.45% in relation to the general average) as the level of homozygosity increases, as highlighted by Hallauer (1990) and Good and Hallauer (1977). The effect of sites was evident since there was a non-significant effect (p>0.05) between levels of inbreeding within Londrina

**Table 4.** Cluster analysis using the Scott-Knott method for the sources of variation Locations × Inbreeding Generations and Inbreeding Generations × Populations, showing significant interaction effects for the trait female flowering (days) (2006/2007 agricultural year).

	Londrina	Piracicaba	
S0	61 a A	55 b	В
S1	61 a A	54 b	В
S2	62 a A	58 a	В
	S <sub>0</sub>	$S_{_1}$	S,
GO-S	56 b B	55 b	B 60 a A
G3	58 b A	59 a	A 60 a A
G4	57 b B	57 b	B 61 a A
GO-G	61 a A	59 a	A 58 a A
GO-L	59 a A	58 a	A 60 a A
GO-D	60 a A	59 a	A 60 a A
GO-F	58 b B	57 b	B 60 a A

Among populations, significant differences (p<0.05) were found within the S<sub>0</sub> and S<sub>1</sub> levels but not in  $S_2$ . The populations that showed means of 60 days in S<sub>o</sub> (GO-G and GO-L GO-G-D) remained the same with increasing homozygosity. For the other populations, the earliest in S<sub>0</sub> tended to increase the number of days to flowering in S2, matching the others. Although the populations studied originated from distinct tropical germplasms and were obtained through different selection methods, there was an overall stabilization and convergence on a certain flowering time when 75% homozygosity was reached. It should be emphasized that the model studied does not predict selection because it considers the general behavior of the set of inbred lines, so it is possible that for a given population, there exist early and late individuals that can be selected.

For PH (Table 5),  $S_0$  to  $S_2$  inbreeding depression rates were found to be -14.1% and -21.1% in

Londrina and Piracicaba, respectively. Garbuglio et al. (2009), studying the genetic variability in these same populations with different sets of S<sub>1</sub> families (and a different number of families), also found results of inbreeding depression below 20% for PH. Similar results were verified by Senhorinho et al. (2015) when studying the effects of inbreeding depression in 22 commercial hybrids. In a work with popcorn carried out by Scapim et al. (2006), the researchers showed a predominance of additive effect and an inbreeding depression of 10% for plant height and ear height. In the present study, for the group of populations evaluated, there were differences in the phenotypic expression of PH due to the different conditions of the growing environments. These differences were concentrated in the S<sub>0</sub> generation; as with FF, there was a stabilization of the means in the S<sub>2</sub> between locations (for PH) and among populations (for FF).

**Table 5.** Cluster analysis using the Scott-Knott method for the source of variation Locations  $\times$  Inbreeding Generations, showing significant interaction effects for the trait plant height (cm) (2006/2007 agricultural year).

	Londrina	Piracicaba
$S_0$	199 a A	213 a B
$\mathbf{S}_{1}$	180 b A	186 b A
$S_2$	171 c A	168 c A

Considering the rate of depression from  $S_0$  to  $S_1$  for PH and FF, the results were slightly divergent from those cited by Hallauer (1990), where the author indicates that on average, plant height was reduced by 25%, and the number of days for flowering increased by an average of 6.8%. For FF, it is important to consider that the author worked with temperate genetic material, while the genetic backgrounds used in the present work are all tropical, which may explain the fact that materials had a cycle of approximately 59 to 60 days in  $S_0$  and tended not to show an increase in the number of days to flowering in the  $S_1$  and  $S_2$  generations.

According to Miranda Filho (2001), another explanation for the variation in the estimates of inbreeding depression for FF may be associated in part with the degree of relationship between the genotypes; closer genetic relationships may lead to greater effects of inbreeding depression.

For the other traits in which no interaction between the sources of variation was detected but inbreeding variation was significant, general linear equations were estimated (Figure 1) with respective coefficients of determination (R<sup>2</sup>) to analyze the average response of the traits to the increase in homozygosity. For all traits, the R<sup>2</sup> remained above 80%, which indicates good accuracy of the model.

The means of inbreeding depression for EH (Figure 1A) were 15% for  $S_0 \rightarrow S_1$  and 27.1% for

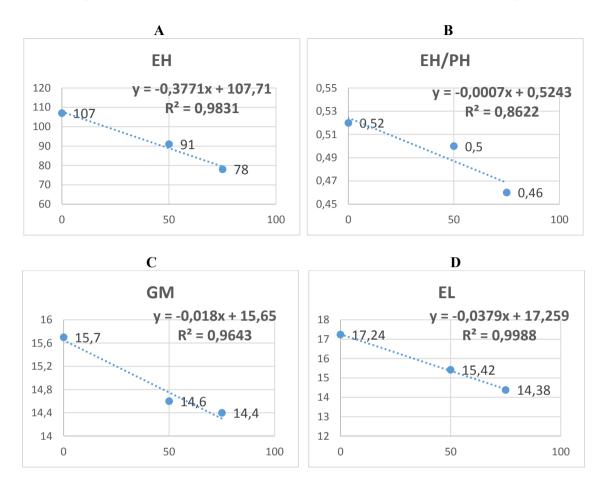
 $S_0 \rightarrow S_2$ . The EH/PH ratio (Figure 1B) showed reductions of 3.9% and 11.5% from  $S_0$  to  $S_1$  and  $S_2$ , respectively. That is, even though there were reductions in both plant height and ear height, the relative insertion point presented a continuous reduction since the depression levels were not linear for the PH and EH variables when taken together, and in EH, there was a higher level of depression both in  $S_0 \rightarrow S_1$  and  $S_0 \rightarrow S_2$ .

The loss of grain moisture (Figure 1C) was accelerated as a result of the increase in the homozygosity level, on the order of 7% for  $S_0 \rightarrow S_1$  and of 8.3% for  $S_0 \rightarrow S_2$ . The ear length (Figure 1D) was reduced by 10.6% in  $S_0 \rightarrow S_1$  and by 16.6% in  $S_0 \rightarrow S_2$ .

Lopes et al. (2007), while evaluating several traits in maize crops, found a high positive correlation between ED and grain length and a low correlation between EL and grain size. In this study, we detected a reduction in ED in  $S_1$  and  $S_2$ , and we would thereby expect a reduction in grain size, which, due to a smaller area, would reduce the time to loss of water, explaining the low values for GM detected in  $S_1$  and  $S_2$ .

For GY (Table 6), as expected, three distinct groups of inbreeding levels were detected, within each evaluation site and between sites, with average rates of 35.6% inbreeding variation for  $S_0 \rightarrow S_1$  and of 50.3% for  $S_0 \rightarrow S_2$ .

**Figure 1.** Linear regression analysis for the traits ear height (EH), ear height/plant height (EH/PH), grain moisture (GM) and ear length (EL), evaluated in two locations (Londrina-PR and Piracicaba) (2006/2007 agricultural year).



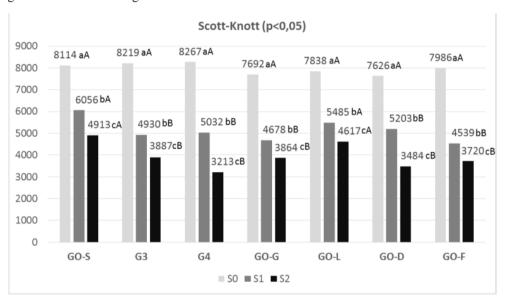
**Table 6.** Cluster analysis using the Scott-Knott method for Locations  $\times$  Inbreeding Generations and Locations  $\times$  Populations, showing significant interaction effects for the trait grain yield (GY) in kg ha<sup>-1</sup> (2006/2007 agricultural year).

	Londrina	Piracicaba
S0	8175 a A	7752 a B
S1	5003 b A	5260 b A
<b>S2</b>	4296 c A	3618 c B
	Londrina	Piracicaba
GO-S	6464 a A	6257 a A
G3	5901 b A	5456 b A
G4	5626 b A	5382 b A
GO-G	5686 b A	5136 b B
GO-L	5765 b A	6194 a A
GO-D	5905 b A	4970 b B
GO-F	5424 b A	5407 b A

Among the populations, GO-S and GO-L stood out because GO-S remained in the highest grain yield group within each site and both GO-S and GO-L remained high within each of the levels of inbreeding tested (Figure 2). This finding confirms that the best populations in the  $S_0$  generation, even when obtained by different populations and breeding methods, may have a high frequency

of favorable alleles and tend to maintain their high performance over the selfing cycles, which increases the probability of obtaining inbred lines with agronomically good grain yield traits. The other populations remained in a second group when considering the overall means within the  $S_1$  and  $S_2$  levels (Figure 2).

**Figure 2.** Cluster analysis using the Scott-Knott method at 5% probability for Inbreeding Generations × Populations, showing significant interaction levels for the trait grain yield (GY) in kg ha<sup>-1</sup>. Lowercase letters refer to the groupings of means between generations of inbreeding within each population and uppercase letters refer to population groupings within each generation of inbreeding.



Through regression analysis (Table 7), the significance of  $\beta$  (linear regression coefficient) and the non-significance of the regression deviation indicated that is possible to explain the increase in homozygosity levels by a linear model. Only the G4 population showed significant deviation in both locations, while GO-F and GO-D showed significant deviations in only one location. This fact might be due to one of the inbreeding levels presenting more pronounced responses to environmental differences. However, the R² values, which are related to the accuracy of the mathematical model adopted, were above 90% for all populations within each trial location, indicating that the linear model

was efficient in modeling the decrease in grain yield means due to the effects of inbreeding.

By analyzing inbreeding depression rates (Table 8) through the traditional method, which considers only the S<sub>0</sub> and S<sub>1</sub> levels, and the regression method, which used all 3 levels of inbreeding, it was found that the G4 population had the lowest predicted mean among the inbred lines when grown in Londrina through both methods. However, in Piracicaba, these analytical methods disagreed; the G4 population was in the group with higher grain yield when considering 2 levels of inbreeding and in the one with lower yield when considering 3 levels of inbreeding.

 $\times$  Populations and the trait grain yield (kg ha<sup>-1</sup>) in two locations (2006/2007 agricultural year). Table 7. Mean squares obtained by regression analysis using a linear model, showing significant interaction effects for the source of variation Inbreeding Generations

							TOHULING.						
	$\mathbf{DF}$	GO-S	G3		G4		GO-G		GO-L		GO-D		GO-F
β	1	11,949,168 **	26,851,457	* *	37,944,691	* *	24,594,653	* *	19,422,079	* *	26,232,778	*	32,172,552 **
deviation	_	603,840	788,846		1,552,515	* *	240,166		410,257		291,000		1,234,629 *
error	40	204,159	204,159		204,159		204,159		204,159		204,159		204,159
$\mathbb{R}^{2}\%$		95.2	97.2		96.1		99.0		97.9		98.9		96.3
						Pira	Piracicaba						
	DF	GO-S	G3		G4		GO-G		GO-L		GO-D		GO-F
β	1	20,125,615 **	34,066,240	* *	40,627,907	* *	23,410,196	* *	13,962,026	* *		*	28,008,515 **
deviation	_	975,543	51,590		2,620,002	*	628,793		4843		2,187,433	*	317,550
error	40	451,107	451,107		451,107		451,107		451,107		451,107		451,107
$\mathbb{R}^{2}\%$		95 4	998		93.9		97.4		99.9		92		98.9

<sup>\*, \*\*</sup> significant at 1 and 5% probability by the F test, respectively.

**Table 8.** Prediction of the average behavior of inbred lines for the grain yield trait by the traditional method with 2 inbreeding levels ( $S_0$  and  $S_1$ ) and by linear regression with 3 levels of inbreeding ( $S_0$ ,  $S_1$  and  $S_2$ ). Cluster analysis was performed using the Scott-Knott method at 5% probability.

	$S_0$ ar	nd S <sub>1</sub>	$S_{c}$	, S <sub>1</sub> and S	S <sub>2</sub>	
L=m+a		$i.d.\% (S_0 \rightarrow S_1)$	Linear Equation	L=100	1%	i.d.% $(S_0 \rightarrow S_2)$
3470	a	28.6	$Y_i = 8004 - 36.954 X_i$	4309	a	32.6
1710	b	39.8	Y=8209-55.396 X	2669	b	48.1
440	c	47.4	Y=8370-65.852 X	1785	c	55.4
2065	b	37.0	Y=7895-53.017 X	2593	b	48.9
2325	b	35.1	Y=7729-47.113 X	3018	b	43.9
2128	b	37.1	Y=8187-54.754 X;	2712	b	48.6
686	c	45.8	Y=7950-60.637 X	1886	c	53.9
	3470 1710 440 2065 2325 2128	3470 a 1710 b 440 c 2065 b 2325 b 2128 b	3470     a     28.6       1710     b     39.8       440     c     47.4       2065     b     37.0       2325     b     35.1       2128     b     37.1	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	3470       a       28.6       Y <sub>i</sub> =8004-36.954 X <sub>i</sub> 4309         1710       b       39.8       Y <sub>i</sub> =8209-55.396 X <sub>i</sub> 2669         440       c       47.4       Y <sub>i</sub> =8370-65.852 X <sub>i</sub> 1785         2065       b       37.0       Y <sub>i</sub> =7895-53.017 X <sub>i</sub> 2593         2325       b       35.1       Y <sub>i</sub> =7729-47.113 X <sub>i</sub> 3018         2128       b       37.1       Y <sub>i</sub> =8187-54.754 X <sub>i</sub> 2712         686       c       45.8       Y <sub>i</sub> =7950-60.637 X <sub>i</sub> 1886	3470       a       28.6       Y <sub>i</sub> =8004-36.954 X <sub>i</sub> 4309       a         1710       b       39.8       Y <sub>i</sub> =8209-55.396 X <sub>i</sub> 2669       b         440       c       47.4       Y <sub>i</sub> =8370-65.852 X <sub>i</sub> 1785       c         2065       b       37.0       Y <sub>i</sub> =7895-53.017 X <sub>i</sub> 2593       b         2325       b       35.1       Y <sub>i</sub> =7729-47.113 X <sub>i</sub> 3018       b         2128       b       37.1       Y <sub>i</sub> =8187-54.754 X <sub>i</sub> 2712       b         686       c       45.8       Y <sub>i</sub> =7950-60.637 X <sub>i</sub> 1886       c

			Firacica	Da				
		S <sub>0</sub> an	nd S <sub>1</sub>	$S_0$ , $S_1$ and $S_2$				
	L=m+a		$i.d.\% (S_0 \rightarrow S_1)$	Linear Equation	L=100	)%	i.d.% $(S_0 \rightarrow S_2)$	
GO-S	4527	a	22.1	Yi=8256-47.959 Xi	3460	a	46.3	
G3	1571	b	40.3	Yi=8056-62.396 Xi	1816	b	57.4	
G4	3155	a	30.2	Yi=8221-68.141 Xi	1407	b	67.2	
GO-G	1262	b	41.5	Yi=7291-51.725 Xi	2119	b	50.7	
GO-L	3940	a	24.9	Yi=7859-39.946 Xi	3864	a	38.3	
GO-D	3430	a	25.4	Yi=7210-53.77 Xi	1833	b	61.0	
GO-F	1497	b	40.5	Yi=7764-56.577 Xi	2106	b	52.9	

Results with the same letters do not differ by Scott-Knott's test at 5% probability. L=m+a refers to the inbred line value predicted using data from 2 inbreeding generations, in which "m" is a general mean and "a" is the contribution of the homozygous loci. L=100%: refers to the predicted inbred line value using the linear equation with  $X_i$ =100 and  $\alpha$  and  $\beta$  calculated using data from 3 inbreeding generations. i.d: inbreeding depression.

In this case, in Londrina, the use of only the  $S_0$  and  $S_1$  series was sufficient to predict the inbred lines' behavior efficiently, while in Piracicaba, an additional generation of inbreeding was required to express the deleterious effects of homozygosity in the population, which was reflected in a predicted reduction in  $S_2$  on the order of -67.2%.

The GO-D population presented the same grouping pattern in Londrina when considering both 2 and 3 levels of inbreeding, but in Piracicaba, the predicted behavior of the inbred lines was similar to that of G4. In these cases where populations changed grain yield classifications, it was necessary to assess all 3 levels of inbreeding to that the prediction was more efficient.

For the G3, GO-G, GO-L, GO-S and GO-F populations, the use of 2 levels of inbreeding was efficient to predict the behavior of inbred lines in

Londrina since the behavior pattern was maintained when analyzed using 3 levels of inbreeding. The GO-S population remained in the group of higher grain yield independent of the location, whereas GO-L obtained this behavior pattern only in Piracicaba. GO-F presented the lowest mean of grain yield in Londrina, and G3 remained in the lower grain yield group in Piracicaba using both methods.

In this sense, it was noteworthy that regardless of the base population used, the prediction values could be different when considering only 2 levels of inbreeding due to the environmental component, which represents a complication in the prediction of inbred lines.

Considering that when both methods were used in Londrina and Piracicaba, assessing 3 levels of inbreeding presented more consistent results, it is reasonable to infer that the influence of the environment in this type of study can be reduced by considering 3 levels of inbreeding, leading to greater precision in the prediction of inbred lines.

### **Conclusions**

For PH and FF, there was a stabilization of means in the S<sub>2</sub> generation.

The use of linear regression was effective in inbred line prediction for the different agronomic traits evaluated.

The use of 3 levels of inbreeding minimizes the effects of the environmental component in inbred line prediction for grain yield.

GO-S was the most promising population for inbred line extraction.

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