

Independent Journal of Management & Production

E-ISSN: 2236-269X ijmp@ijmp.jor.br

Instituto Federal de Educação, Ciência e Tecnologia de São Paulo Brasil

Vikram, Nirpesh; Kumar, Raghuvir
STUDY OF FATIGUE CRACK GROWTH IN 6063-T6 ALUMINUM ALLOY
Independent Journal of Management & Production, vol. 6, núm. 4, octubre-diciembre,
2015, pp. 973-990
Instituto Federal de Educação, Ciência e Tecnologia de São Paulo
Avaré, Brasil

Available in: http://www.redalyc.org/articulo.oa?id=449544332009



Complete issue

More information about this article

Journal's homepage in redalyc.org





http://www.ijmp.jor.br v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

STUDY OF FATIGUE CRACK GROWTH IN 6063-T6 ALUMINUM ALLOY

Nirpesh Vikram BBDNIIT, Lucknow, India E-mail: nirpesh.vikram@gmail.com

> Raghuvir Kumar BBDNIIT, Lucknow, India E-mail: rkg@mnnit.ac.in

Submission: 08/06/2015 Revision: 03/07/2015 Accept: 12/07/2015

ABSTRACT

The present study relates to investigate the crack propagation behavior of 6063 T6 Al Aluminum Alloy under fatigue loading. The experimental as well as analytical analysis was done and for crack growth rate for 6063-T6 Aluminum Alloy. All analysis was done on Side edge notch specimen. A program was developed on Matlab® to calculate crack growth rate and effective stress intensity range ratio based on polynomial algorithm. That gave a very good agreement between them. The effective stress intensity range ratio (U) was found to depend on stress ratio (R). Variation in load range affects the crack growth rate. For constant load range its variation was negligible, constant C was almost constant at variable load range. Variation of maximum load affects constant C.

Keywords: Fatigue, 6063-T6 Al Alloy, Fracture, Analytical Analysis, Crack Closure





http://www.ijmp.jor.br v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

1. INTRODUCTION

The phenomenon of metal fatigue is very old and is related with mechanical

failure of the components subjected to cyclic loading. Fatigue failure is a major problem

encountered by designers. Generally it occurs in the machine components and

structures which are associated with dynamic loading i.e. the load on a component

changing with time. Although fatigue failure is important in almost all the design

problems, yet the designing of the components of some machines like an aircraft, space

vehicle, turbine, engine, rails & bridges are most critical (BROEK, 1982; ZHENG, 1983;

ELBER, 1970).

According to ASTM (1976) fatigue is defined as "the process of progressive

localized permanent structural change occurring in the material subjected to the

conditions which produce fluctuating stresses and strain at some point or points and

which may culminate in crack or complete fracture after a sufficient number of

fluctuations" (FOREMAN; MEARNEY; ENGLE ,1967; WALKER, 1970; NIRPESH;

RAGHUVIR, 2013; NIRPESH; RAGHUVIR, 2015).

Fatigue failures are generally caused due to some stress raisers as a crack

initiates from these stress raisers. (PEARSON, 1972; ELBER, 1971; NIRPESH;

SAKSHI; RAGHUVIR, 2014) There are three most important factors which cause the

fatigue failure to take place:

Cyclic loading

Points of stress concentration

Residual tensile stresses

2. METHOD

The crack growth rate experiments have been carried out by various researchers

on a wide range of materials using different specimen geometries (PARIS; ERDOGAN,

1963; BROEK, 1982; ZHENG, 1983; ELBER, 1970; NICCOLLS, 1976; KUMAR;

GARG, 1988A; KUMAR; GARG, 1988B; ASTM, 1967).

http://www.ijmp.jor.br

v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

Studies have shown that the crack propagation is a complex phenomenon. Literature reveals that crack growth rate (CGR) can be related to ΔK , ΔK_{θ} etc. these relationships are empiricalin nature. The CGR constants C, m etc. of different models are considered to be material constants. In addition to materials they depend upon loading parameters $\Delta \sigma$, σ_m and R.

A number of researchers tried to relate these constants with the loading parameters for 6061-T6 and 6063-T6 Aluminum alloys.

Here are the main steps of the work carried out:

- (1) A program is written using MAT Lab to calculate the maximum stress intensity factor K_m , stress intensity range ΔK , effective stress intensity range ΔK_{Θ} and crack growth rate $\frac{d\alpha}{dx}$.
- (2) The program thus developed is used on different sets of data (a-N) for 6061-T6 & 6063-T6 alloys. There is two types of data:
 - (a) When maximum load was kept constant
 - (b) When load range was kept constant

 $\frac{da}{dN}$ $\frac{da}{dN}$ $\frac{da}{dN}$

- (3) The curves are plotted for N Vs a, N Vs $\,$, ΔK Vs $\,$ and $\Delta K\Theta Vs$ $\,$, for both the materials.
- (4) The constants of the crack growth rate are evaluated for the following models:
 - (a) Paris and Erdogan model
 - (b) Elber model
 - (c) Walker model
 - (d) Foreman model
- (5) Co-relations are developed between CGR constants and loading parameters.

3. ANALYSIS



http://www.ijmp.jor.br v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

The aim of our study is to see the effect of loading parameters on the crack growth rate constants. The first thing is to fit the models in our data and evaluate the constants. It was planned to analysis models for the given type of loading conditions.

- 1. Maximum load was kept constant and the load ratios were increased.
- 2. Load range was kept constant and load ratios were increased.

3.1. Materials used

The material used is 6063-T6 Al alloys. The chemical composition of the materials as per manufacturer's catalogue is given in Table no (1).

Table 1: Chemical composition of the material

| Materials | | | Elements | | | | | |
|-----------|------|------|----------|------|------|------|--------|--|
| Mate | iais | Cu | Mg | Si | Fe | Mn | Others | |
| 6063- | Max | 0.10 | 0.90 | 0.8 | 0.70 | 0.60 | 0.4 | |
| T6 | Min | - | 0.40 | 0.30 | - | - | - | |

Table 2: Mechanical properties of the materials

| | Properti | es | | | | |
|----------|--------------------------------------|--|--|--------------------------------------|-----------------|-----------------------------------|
| Material | σ _y kg/mm ² | $\begin{array}{c} \sigma_u \\ kg/mm^2 \end{array}$ | $\begin{array}{c} \sigma_f \\ kg/mm^2 \end{array}$ | Ex10 ⁶ kg/mm ² | Elongation % | Red uctio n in area % |
| 6063-T6 | 14.95 | 18.26 | 33.62 | 5.12 | 10.7 | 45.6 7 |

3.2. Fatigue tests

6063-T6 Al-alloy

- 1. $P_m = 820 \text{ Kg}$
- 2. $\Delta P = 585 \text{ Kg}$

The details of the experiments are given in Table no (3).

There are 9 experiments in all; tests S1 – S5 were conducted by keeping maximum load constant. Remaining S6-S9, were conducted at constant load range.

Fatigue tests were carried out on the side edged notched specimens of about 180mm x 50mm x 3mm initially with a notch of 6 mm. During the tests crack initiated



http://www.ijmp.jor.br v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

from this edge readings of number of cycles were taken at a regular interval of 0.5 mm crack length.

Table 3

| | Tests for 6063-T6 Al-Alloys | | | | | | | | | |
|------|-----------------------------|------|-------------------|-------------------|----------|-------------|--|--|--|--|
| S.No | Tests | R | P _m Kg | P _n Kg | ΔP Kg | $N_{\rm f}$ | | | | |
| 1. | S1 | 0.0 | 820 | 0 | 820 | 61470 | | | | |
| 2. | S2 | 0.2 | 820 | 164 | 656 | 83380 | | | | |
| 3. | S3 | 0.3 | 820 | 246 | 574 | 116000 | | | | |
| 4. | S4 | 0.35 | 820 | 287 | 533 | 137660 | | | | |
| 5. | S5 | 0.45 | 820 | 369 | 541 | 199760 | | | | |
| 6. | S6 | 0 | 585 | 0 | 585 | 479690 | | | | |
| 7. | S7 | 0.2 | 731.25 | 146.25 | 585 | 143030 | | | | |
| 8. | S8 | 0.4 | 975 | 390 | 585 | 96990 | | | | |
| 9. | S9 | 0.6 | 1462.5 | 877.5 | 585 | 76970 | | | | |

3.3. Program development

A program was developed for calculating the crack growth rate, maximum stress intensity factor, stress intensity range and effective stress intensity range, which were later used for model fitting.

Following data was used as input in the program, which is written in MATLAB R2012a:

- 1. No of readings of (a-N) in a set N_p
- 2. Crack length (a).
- 3. Number of cycles (N)
- 4. Maximum load of the cycle (P_m)
- 5. Minimum load of the cycle (P_n)
- 6. Width of the specimen (w)

First we calculate (R) & (U) (FOREMAN; MEARNEY; ENGLE ,1967;

PEARSON, 1972)



http://www.ijmp.jor.br v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

$$R = \frac{P_{in}}{P_{im}} \tag{3.1}$$

$$U = 0.69 + 0.5R + 0.12R^2 \tag{3.2}$$

To find out the crack growth rate "seven point successive incremental polynomial method" was adopted. Following form of equation was formed:

$$\begin{aligned} a_1 &= d_1 + d_2 N_1 + d_3 N_1^2 + d_4 N_1^3 + d_6 N_1^4 + d_6 N_1^6 + d_7 N_1^7 \\ a_2 &= d_1 + d_2 N_2 + d_3 N_2^2 + d_4 N_2^3 + d_6 N_2^4 + d_6 N_2^6 + d_7 N_2^7 \\ a_3 &= d_1 + d_2 N_3 + d_3 N_3^2 + d_4 N_3^3 + d_8 N_3^4 + d_6 N_2^6 + d_7 N_2^7 \\ a_4 &= d_4 + d_2 N_4 + d_3 N_4^2 + d_4 N_4^3 + d_6 N_4^4 + d_6 N_4^6 + d_7 N_4^7 \\ a_5 &= d_1 + d_2 N_5 + d_3 N_5^2 + d_4 N_5^3 + d_5 N_5^4 + d_6 N_5^6 + d_7 N_6^7 \\ a_6 &= d_1 + d_2 N_6 + d_3 N_6^2 + d_4 N_6^3 + d_5 N_6^4 + d_6 N_6^6 + d_7 N_6^7 \\ a_7 &= d_1 + d_2 N_7 + d_3 N_7^2 + d_4 N_7^3 + d_5 N_7^4 + d_6 N_7^5 + d_7 N_7^7 \end{aligned}$$

The general form of the equation is as follows:

$$a_{t} = d_{1} + d_{2}N_{t} + d_{3}N_{t}^{2} + d_{4}N_{t}^{3} + d_{5}N_{t}^{4} + d_{6}N_{t}^{5} + d_{7}N_{t}^{7}$$

$$(3.3)$$

The basic principal to solve these equations is the Gauss elimination method back substitution is used to solve them. For each set of seven readings values was found of constants d_1-d_7 which gave the value of crack growth rate (da/dN)

$$\frac{da}{dN} = d_2 + 2d_3N_t + 3d_4N_t^2 + 4d_8N_t^3 + 5d_6N_t^4 + 6d_7N_t^5$$
(3.4)

After calculating the first value of crack growth rate, da/dN value was increased from 0-1 to 2-8 and the above process repeated for second value of da/dN. Thus calculated the values of da/dN until i= N_p . here N_p is the number of reading in a test.



http://www.ijmp.jor.br

v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

For calculating maximum stress intensity factor K_m , stress intensity range ΔK_e (U ΔK) following equations were used:

$$K_m = \left(\frac{p_m}{A}\right) (\alpha)^{\frac{4}{9}} \{f\} \tag{3.5}$$

$$\Delta K = \left(\frac{\Delta F}{A}\right) \left(\alpha\right)^{\frac{4}{2}} \{f\} \tag{3.6}$$

$$\Delta K_e = U(\Delta K) \tag{3.7}$$

Where

$$f = [1.99 - 0.41 \left(\frac{a}{w}\right) + 18.7 \left(\frac{a}{w}\right)^2 - 38.48 \left(\frac{a}{w}\right)^3 + 53.85 \left(\frac{a}{w}\right)^4] \Delta K_e = U(\Delta K)$$

Output of the program is given as follows:

- 1. Stress intensity range ratio (U)
- 2. Maximum stress intensity factor (K_m).
- 3. Stress intensity range (ΔK).
- 4. Effective stress intensity range (ΔK_e)

3.4. Curves drawing

Computer program was run for various test data. From the output curves were drawn. The scheme of the curves is given below.

- (a) Number of cycles Vs Crack length
- **(b)** Number of cycles Vs crack growth rate.
- **(c)** Stress intensity range Vs crack growth rate.
- (d) Effective stress intensity range Vs crack growth rate.

A. Maximum load constant

- 1. N Vs a
- 2. N Vs CGR
- 3. Log ΔK Vs log CGR



http://www.ijmp.jor.br v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

- 4. Log ΔK_eVs log CGR
- B. Load range constant
 - 1. N Vs a
 - 2. N Vs CGR
 - 3. Log ΔK Vs log CGR
 - 4. Log ΔK_eVs log CGR

3.5. Model fitting

3.5.1. Model fitting for 6063- T6 Aluminum alloy:

It is also carried in the two stages i.e.

- (A) Maximum load constant
- **(B)** Load range constant.
- (A) Maximum load constant: From Figure 1 and 2 we observed that with increasing load ratios life of components and crack initiation stage increased while the crack growth rate decreased.
- Δ K Vs CGR & Δ Ke Vs CGR curves are drawn for second stage of crack growth rate given by Figure 3 and 4. Lines of best fit have been drawn, from each set of readings, from which CGR constants were evaluated for different models as below:
 - **1.** Paris model: A decrement in the value of constant m is observed. Constant C was found to have a little variation.
 - 2. Elber model: The values of constant m were found to be nearly equal to the values of its counterpart in Paris model. The values of constant C are found to increase if we compare them with that of the Paris model, which are constant.



http://www.ijmp.jor.br v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

3. Walker model: - The values of constant m have the same variation as

it is in Paris and Elber model, but they are somewhat less in

comparison to that of Paris model. The values of constant C are

having very low variation almost negligible. Constant n increased

consistently.

4. Foreman model: - The values of constant m are equal to the values of

constant m in Paris model. Constant C is high in comparison to the

values of C in other models.

(B) Load range constant: From Figure 5 and 6 this was observed that with

increasing load ratio life of components & crack initiation stage decreased

while the crack growth rate is found to increase.

ΔK Vs CGR &ΔKe Vs CGR curves were drawn for second stage of crack growth

rate given by Figure 7 and 8. Lines of best fit have been drawn from each

set readings, from which CGR constants were evaluated of different

models as below:

1. Paris model: - Constants m are found to have very low variations and

constant C are found to decrease steadily.

2. Elber model: - In this model the value of constant m have been found

to have very low variation, for analysis purpose its value may be taken

as constant. The value of constant C decreased consistently.

3. Walker model: - It shows that the value of constant m has little

variation, and is less in comparison to other models. The constant C

was found to decrease continuously. Exponent n has steady

increment.

4. Foreman model: - In this model the value of constant m is same as

that of Paris model. Value of C decreased consistently, it has higher

values in comparison to other models.



http://www.ijmp.jor.br v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

3.6. Relationship of CGR constants

After evaluating the crack growth rate constants of different models a relationship was developed involving constant C and constant m. The constant m is found to have a relationship with stress range $\Delta\sigma$, constant C bears a relationship with maximum stress σ_m . Relationship of C and σ_m can be expressed in the form as follows:

$$\sigma_m + S_1(\log C) + S_2 = 0 \tag{3.8}$$

Here $S_1 \& S_2$ are constants which were evaluated by drawing the curve between maximum stress σ_m & constant C on semi log scale for each model.

Relationship between stress range $\Delta \sigma$ and constant m is found to be as follows:

$$\Delta \sigma + T_1(m) + T_2 = 0 (3.9)$$

Again $T_1\&T_2$ are constants which are evaluated by drawing the curve between stress range $\Delta\sigma$ and constant m on linear scale. Constants T_1 , T_2 , S_1 and S_2 are given in chapter four.

6063-T6 AL ALLOY

Maximum Load = 820 kg

Crack Length vs Number Cycle

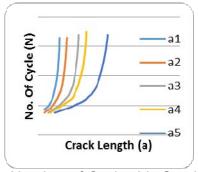


Figure 1: Number of Cycles Vs Crack Length

| TEST | S1 | S2 | S3 | S4 | S5 |
|------|----|-----|-----|------|------|
| R | 0 | 0.2 | 0.3 | 0.35 | 0.45 |



http://www.ijmp.jor.br v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

6063-T6 AL ALLOY

Maximum Load = 820 kg

Crack Growth Rate Vs Number of Cycle

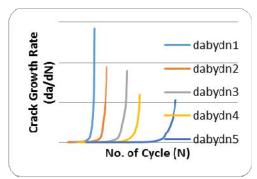


Figure 2: Number of Cycles Vs Crack Growth Rate

| Test | S1 | S2 | S3 | S4 | S5 |
|------|----|-----|-----|------|------|
| R | 0 | 0.2 | 0.3 | 0.35 | 0.45 |

6063-T6 AL ALLOY

Maximum Load = 820 kg

Log Crack Growth Rate Vs Log Stress Intensity Range

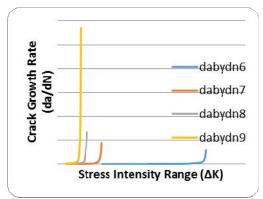


Figure 3: Stress Intensity range Vs Crack Growth Rate

| Ī | Test | S1 | S2 | S3 | S4 | S5 |
|---|------|-----|-----|-----|------|------|
| Γ | R | 0 | 0.2 | 0.3 | 0.35 | 0.45 |
| Г | U | .69 | .79 | .84 | .87 | .93 |

6063-T6 AL ALLOY

Maximum load = 820 kg

Log Ccrack Growth Rate Vs Log Effective Stress Intensity Range



http://www.ijmp.jor.br

v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

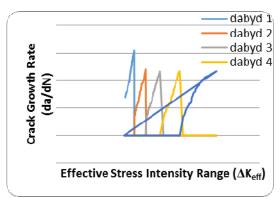


Figure 4: Effective Stress Intensity range Vs Crack Growth Rate

| Test | S1 | S2 | S3 | S4 | S5 |
|------|----|-----|-----|------|------|
| R | 0 | 0.2 | 0.3 | 0.35 | 0.45 |

6063-T6 AL ALLOY

Load range = 585 kg

Crack Length Vs Number of Cycle

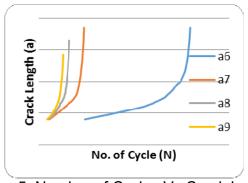


Figure 5: Number of Cycles Vs Crack Length

| Test | S6 | S7 | S8 | S9 |
|------|----|-----|-----|-----|
| R | 0 | 0.2 | 0.4 | 0.6 |

6063-T6 AL ALLOY

Load Range = 585 kg

Crack Growth Rate Vs Number of Cycle



http://www.ijmp.jor.br v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

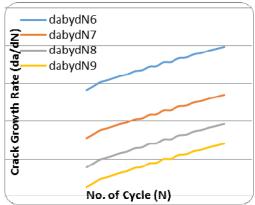


Figure 6: Number of Cycles Vs Crack Growth Rate

| TEST | S6 | S7 | S8 | S9 |
|------|----|-----|-----|-----|
| R | 0 | 0.2 | 0.4 | 0.6 |

6063-T6 AL ALLOY

Load Range = 585 kg

Log Crack Growth Rate Vs Log Stress Intensity Range

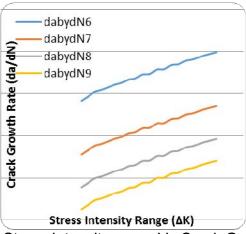


Figure 7: Stress Intensity range Vs Crack Growth Rate

| Test | S6 | S7 | S8 | S9 |
|------|----|-----|-----|-----|
| R | 0 | 0.2 | 0.4 | 0.6 |

6063-T6 AL ALLOY

Load Range = 585 kg

Log Crack Growth Rate Vs Log Effectivestress Intensity Range



http://www.ijmp.jor.br v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

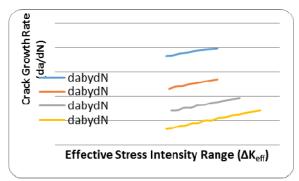


Figure 8: Effective Stress Intensity range Vs Crack Growth Rate

| Test | S6 | S7 | S8 | S9 |
|------|-----|-----|-----|------|
| R | 0 | 0.2 | 0.4 | 0.6 |
| U | .69 | .79 | .90 | 1.03 |

4. RESULTS & DISCUSSION

To evaluate constants C & m the maximum stress Vs log C and stress range Vs m curves were used.

Constant C was plotted on log scale with maximum stress on linear scale. Slopes & intercepts give constants S_1 and S_2 respectively. Straight line passing through maximum number of points has been drawn for each model. Slope of the lines gives constant T_1 & intercepts of the lines gives constant T_2 . The constants evaluated are given in Table no (4) for different models.

Table no 4: Constants for 6063-T6 Al Alloy

| Model | $\sigma_m + S_1(\log \epsilon)$ | $S(x) + S_2 = 0$ | $\Delta \sigma + T_1(m)$ | $+T_{2i} = 0$ |
|---------|---------------------------------|-------------------------|--------------------------|-------------------------|
| | Constant S₁ | Constant S ₂ | Constant T ₁ | Constant T ₂ |
| Paris | 3.70 | 30.85 | -3.25 | 6.49 |
| Elber | 2.95 | 21.89 | -3.46 | 7.19 |
| Walker | 3.11 | 25.29 | -2.08 | 1.68 |
| Foreman | 4.18 | 6.66 | -3.25 | 6.49 |

5. CONCLUSIONS

Variation in load range affects the crack growth rate constant m, i.e. constant m had the higher variation when load range was varying. For constant load range its variation was negligible constant C was almost constant at variable load range.



http://www.ijmp.jor.br v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

Variation of maximum load affects constant C, i.e. constant C in found to vary with maximum load. At constant maximum load it is found to be almost constant.

Walker model modifies the constants m of Paris model, by introducing a new constant n. This constant n is the exponent of maximum stress intensity K_m modification introduced in constant C is negligible.

Foreman model modifies the constant C of Paris model by introducing the fracture toughness K_f of the material. It does not affect constant m.

Elber model introduces a slight modification in Paris model for both constants C & m.

REFERENCES

ASTM (1967) Recommended Practice for Plane Strain Fracture Toughness Testing of High strength Metallic Materials Using a Fatigue Cracked Bend Specimen", TRP prepared by **ASTM committee E-24**.

ASTM (1976) Standard Definition of terms Relating to Fatigue Testing & Statistical Analysis of Data, **ASTM STP**, n. 595, p. 61-77.

BROEK, D. (1982) **Elementary Engg. Fracture Mechanics**, Martinus Nijhoff Publishers, London.

ELBER, W. (1970) Fatigue Crack Closure-Under Cyclic Tension, **Engg. Fracture Mechanics**, n. 2, p. 37-45.

ELBER, W. (1971) The Significance of Fatigue Crack Closure, **ASTM**, n. 486, p. 230-242, 1971.

FOREMAN, R. G.; MEARNEY, V. E.; ENGLE, R. M. (1967) Numerical Analysis of Crack Propagation in Cyclic Loaded Structures", **J.I. Basic Engg.**, Trans. ASME, Sr. D. n. 89, p. 454.

KUMAR, R.; GARG, S. B. L. (1988a) Effect of Stress Ratio on Effective Stress Ratio & Crack Growth in 6061-T6 Aluminium Alloy, **Int. J., Pres. Ves. and piping**.

KUMAR, R.; GARG, S. B. L. (1988b) Study of Crack Closure Under Constant Amplitude Loading for 6063-T6 Aluminium Alloy, Int. J. Press. Ves.and piping.

NICCOLLS, E. H. (1976) A Co-relation for Fatigue Crack Growth Rate, **ScriptaMetall**, n. 10, p. 295-298.

OSGOOD, C. C. (1982) **Fatigue Design Cranbury**, New Jersey, U.S.A., Pergamon Press.

PANDEY, A. K. (1988) **Effect of Load Parameters on Crack Growth Rate & Fatigue Life**, M.E. thesis, Allahabad.



http://www.ijmp.jor.br v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

PARIS, P. C.; ERDOGAN, F. (1963) A Critical Analysis of Crack Propagation Laws, **Trans .ASME J. Basic Engg**. n. 55, p. 528-534.

PEARSON, S. (1972) Effect of Mean Stress in Aluminum Alloy in High & low Fracture Toughness, **Engg. Fracture Mechanics**, n. 4, p. 9-24.

VIKRAM, N.; AGRAWAL, S.; KUMAR, R. (2014) Effect of Strain Hardening on Fatigue Crack Growth in5052 Al Alloy for Constant Amplitude Loading" **SYLWAN**., v. 158, n. 6, p. 110-124.

VIKRAM, N.; KUMAR, R. (2013) Review on Fatigue Crack Growth and Finite Element Method." **IJSER**, v. 4, n. 4,p. 833-842.

VIKRAM, N.; KUMAR, R. (2015) Effect of Strain Hardening On Fatigue Crack Closure In Aluminum Alloy, Int. J. Engg. Res. & Sci. & Tech, v. 4, n.3.

WALKER, K. (1970) The Effect of Stress Ratio During Crack Propagation & Fatigue for 2024-T3 and 7075-T6 aluminium, **ASTM STP**, n. 462, p. 1-14.

ZHENG, X. (1983) Fatigue Crack Propagation in Steels, **Engg. Fracture Mechanics**, n. 18, p. 965-973.



INDEPENDENT JOURNAL OF MANAGEMENT & PRODUCTION (IJM&P) http://www.ijmp.jor.br v. 6, n. 4, October - December 2015 http://www.ijmp.jor.br ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

APPENDIX A

| Symbols | Description |
|---------------------|--|
| а | Crack length |
| Α | A constant |
| В | Specimen thickness |
| С | Constant of crack growth equation |
| d1, d2, d3d7 | Constants of seven point method |
| da dN | Crack growth rate |
| D | A constant |
| Е | Young's modulus of elasticity |
| f | A variable factor |
| K | Stress intensity factor |
| Kc | Fracture toughness of the material |
| K_{m} | Maximum stress intensity factor of a cycle |
| K_n | Minimum stress intensity factor of a cycle |
| K _o | Optimum stress intensity factor of a cycle |
| K_{t} | Threshold stress intensity factor |
| ΔΚ | Stress intensity range |
| ΔK_{Θ} | Effective stress intensity range |
| m | Exponent of crack growth rate equation |
| n | Exponent of crack growth rate equation |
| N | Number of cycles |
| N_{f} | Number of cycles to failure |
| N_p | Number of readings in a set of readings |
| р | A ratio ♣€ |



http://www.ijmp.jor.br v. 6, n. 4, October - December 2015

ISSN: 2236-269X

DOI: 10.14807/ijmp.v6i4.343

P Simple load

P_a Average load in a cycle

P_m Maximum load in a cycle

P_n Minimum load in a cycle

 ΔP Load range in a CAL cycle

R Stress ratio in CAL cycle $\binom{p_m}{p_n}$

S₁ Relationship constant

S₂ Relationship constant

T₁ Relationship constant

T₂ Relationship constant

